

# Connections Between the Madden-Julian Oscillation and Extratropical Regions of the Global Ocean and Atmosphere

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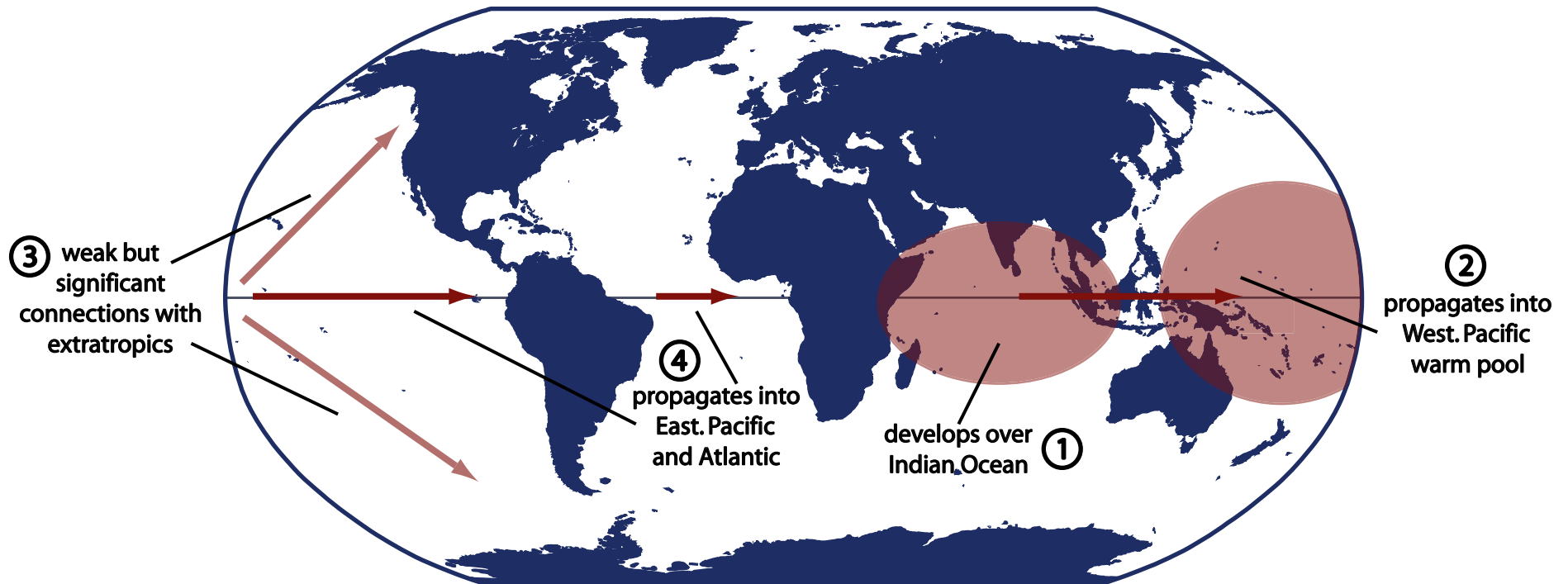
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# Background and Motivation

- There is growing interest in extending range of weather forecasts and developing a seamless scheme that bridges both weather and climate.
- Main prospect for predictability on intraseasonal timescales is the poorly understood **Madden-Julian Oscillation (MJO)**.
- We start by extending the work from a previous study which examined the connection between the MJO and high-latitude surface air temperature (**SAT**).
- Then we explore the relationship between the MJO and global fields of oceanic data: sea surface temperature (**SST**) and sea level anomaly (**SLA**).

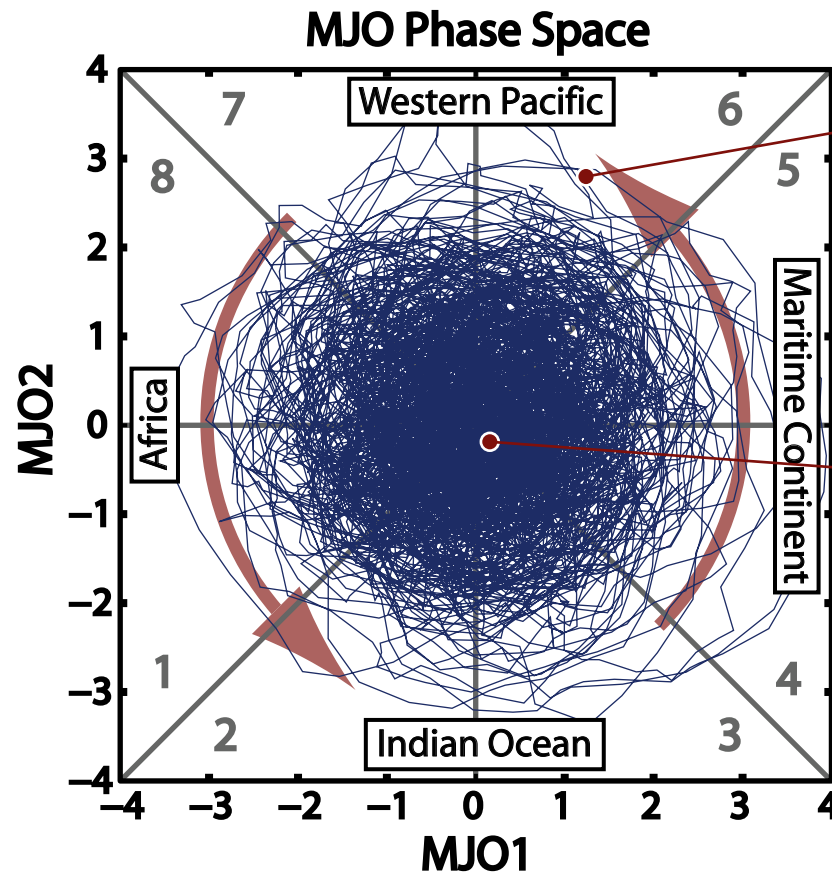
# The Madden-Julian Oscillation

- MJO is dominant mode of atmospheric variability in the tropics on intraseasonal time scales (**30-90 days**)
- Eastward propagating disturbance detectable in tropical OLR/precipitation and zonal wind
- Shows promise for enhancing predictability over weeks to months



# Monitoring the MJO

- Daily bivariate MJO index: **MJO1** and **MJO2**, first two PCs of EOF analysis [1]
- Indices in quadrature so can generate “MJO phase space”:



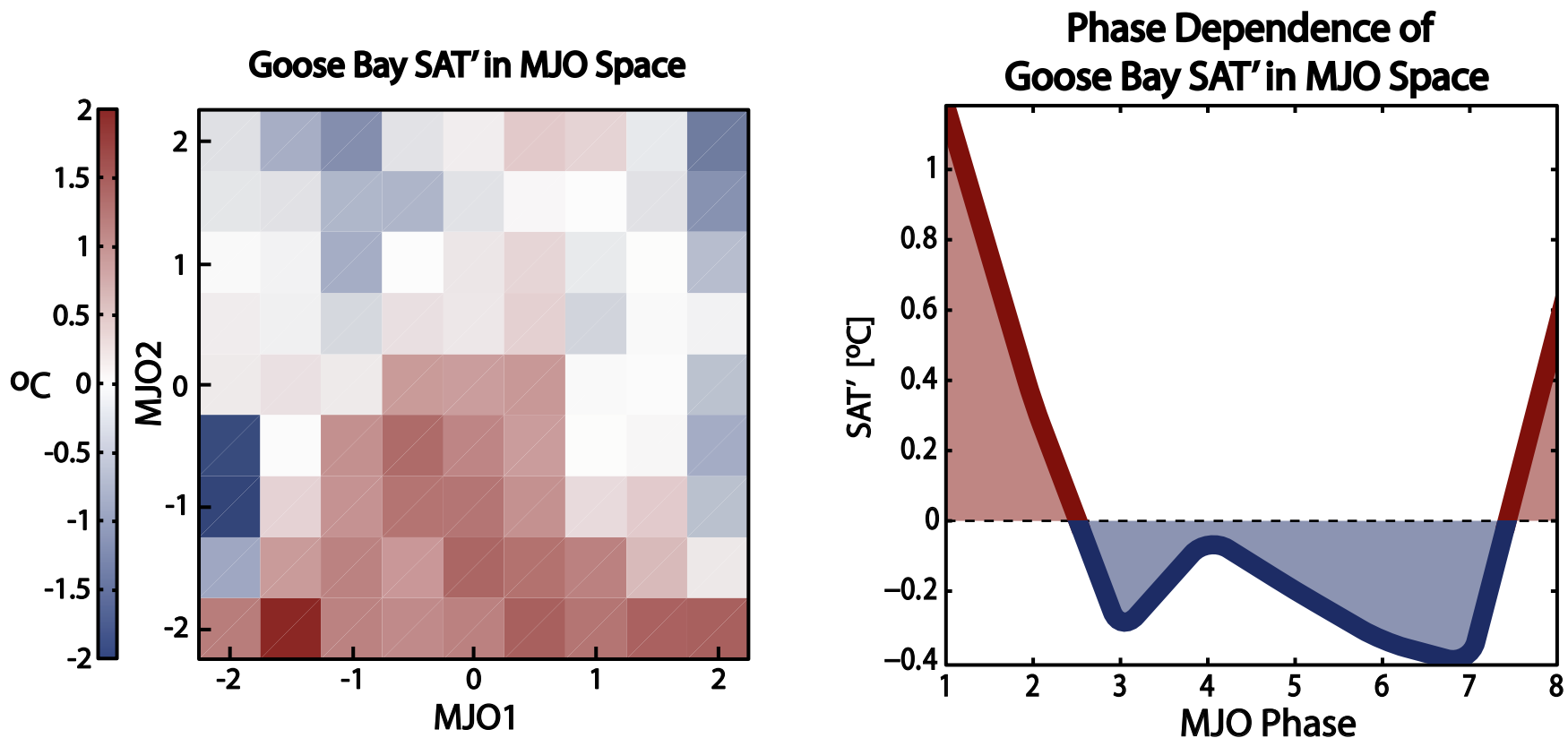
Strong MJO in phase 6  
(active over Western Pacific)

Weak MJO in phase 3  
(active over Indian Ocean)

[1] Wheeler, M. C. and Hendon, H. H. "An All-season Real-time Multivariate MJO Index".  
<http://www.bom.gov.au/bmrc/clfor/cfstaff/matw/maproom/RMM/index.htm>, March 20 2008

# Goose Bay: A High-latitude Connection

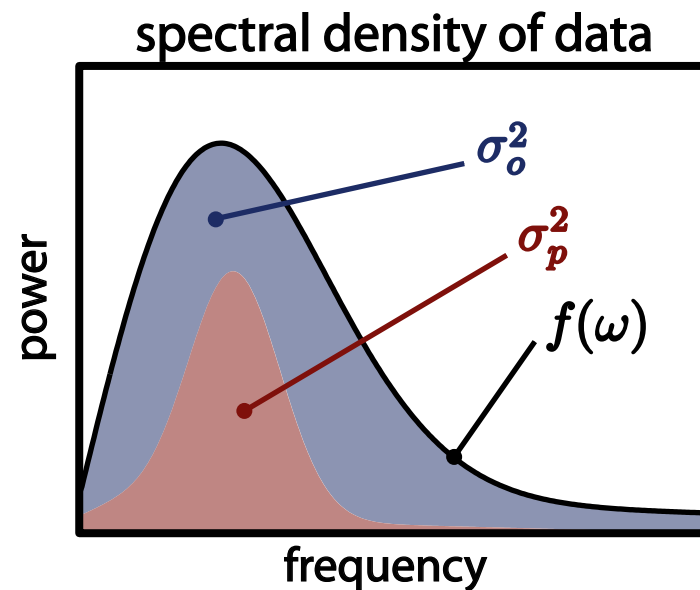
- Relationship between MJO and Goose Bay computed by compositing SAT with the MJO. Allows for a nonlinear relationship.
- SAT varies  $O(1)$  °C throughout the MJO cycle effectively **linearly**. Amplitude consistent with that found by Vecchi and Bond [2]



[2] G.A. Vecchi and N.A. Bond. The Madden-Julian Oscillation (MJO) and northern high-latitude wintertime surface air temperatures. *Geophys. Res. Lett.*, 31, 2004

# Quantifying a Relationship with the MJO

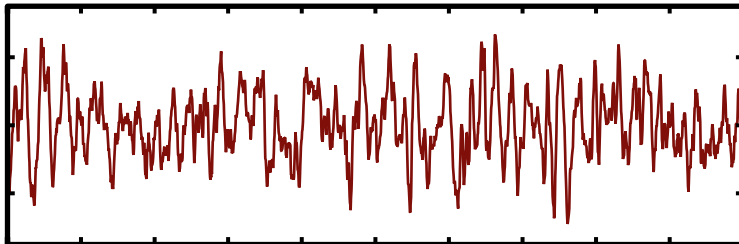
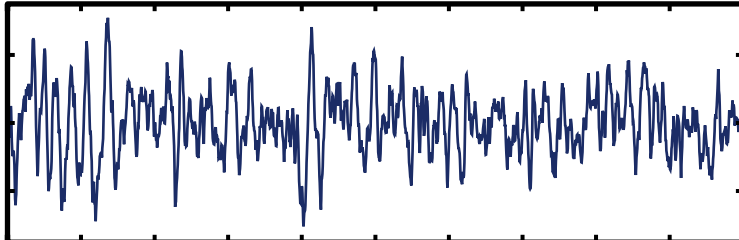
- The area under the curves represent the variance of the observed signal (**blue**) and that predicted by the MJO (**red**):



- Assuming **linearity**, the following represents the proportion of variance predicted by the MJO:

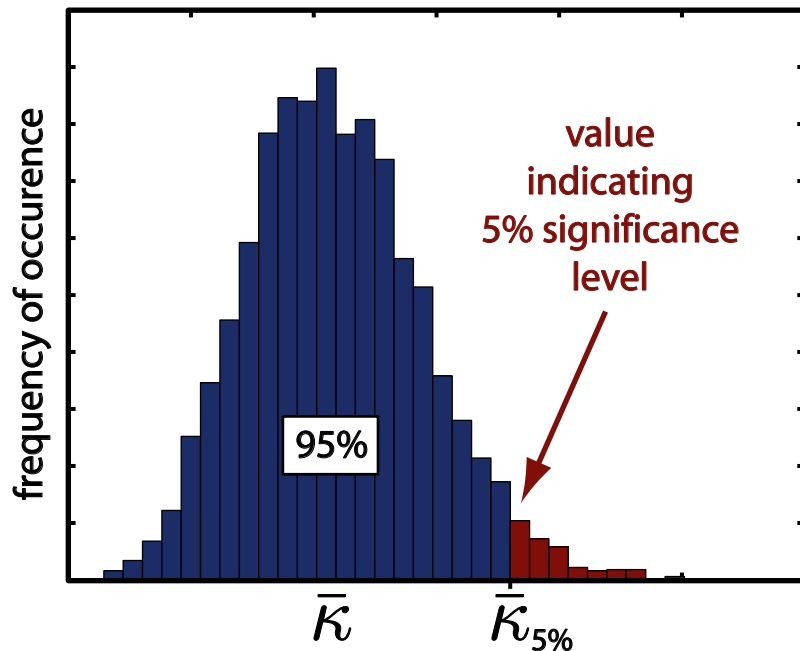
$$\bar{\kappa}^2 = \frac{\int \kappa^2(\omega) f(\omega) d\omega}{\int f(\omega) d\omega} = \frac{\sigma_p^2}{\sigma_o^2}$$

# Testing Statistical Significance



time

distribution of  $\bar{\kappa}$

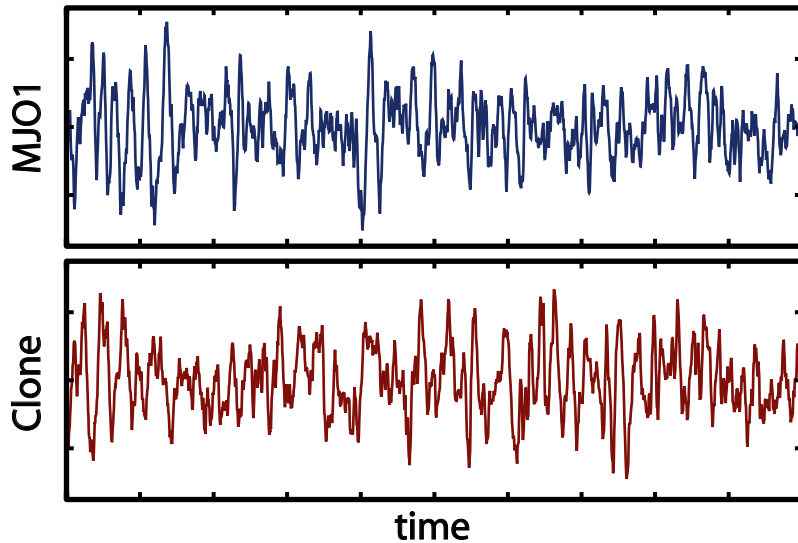


- We have a nonstandard statistical metric. How to determine statistical significance?
- Generate a clone time series that has the same mean, variance and spectral density but randomized phases by manipulating the fourier transform:

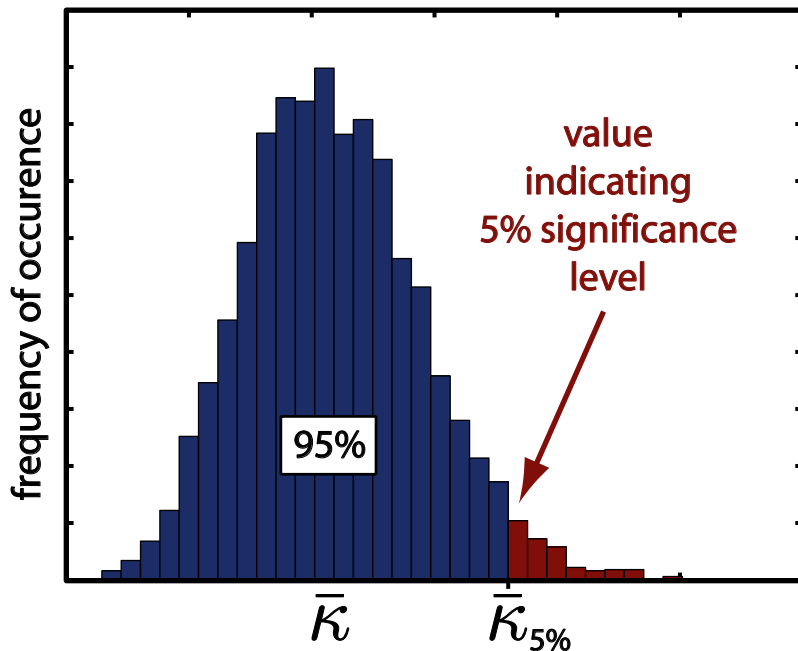
$$\underbrace{f_{\text{MJO}}}_{\text{FFT of clone MJO index}} = \underbrace{|f_{\text{MJO}}|}_{\text{retain the original spectral density}} \underbrace{\exp(i\theta)}_{\text{randomize the phases}}$$

- Can generate a sample distribution for  $\bar{\kappa}$  (assuming no relationship) using a large number of these time series
- If the value of  $\bar{\kappa}$  is greater than  $\bar{\kappa}_{5\%}$  then it is statistically significant at the 5% significance level

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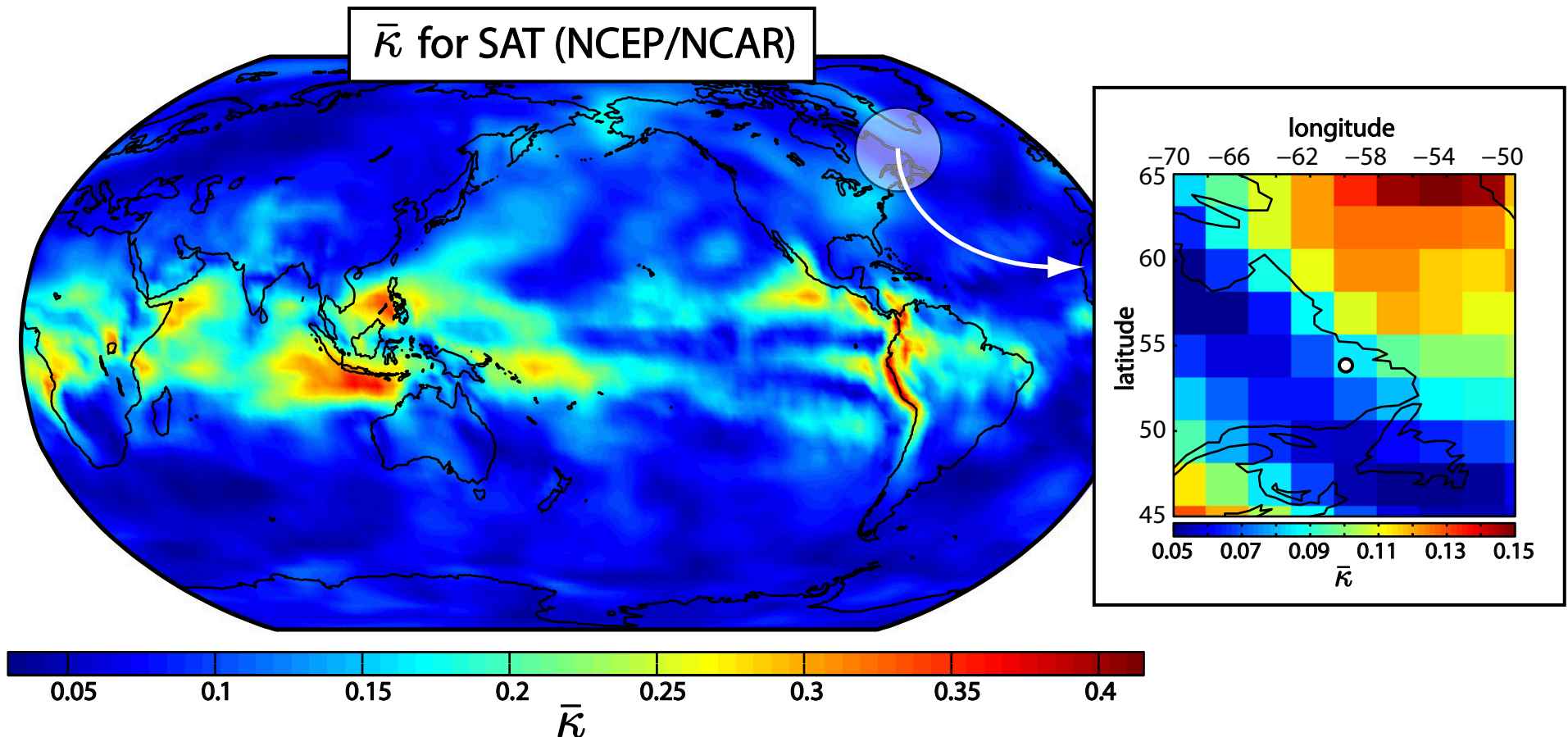
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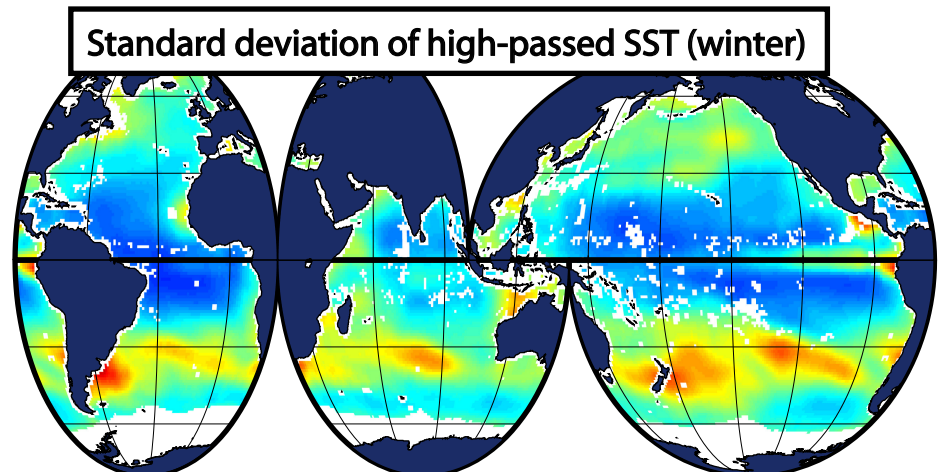
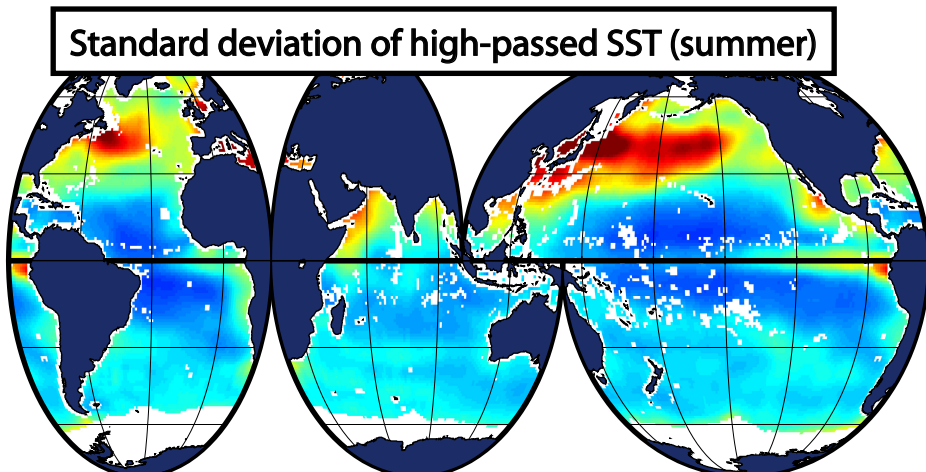
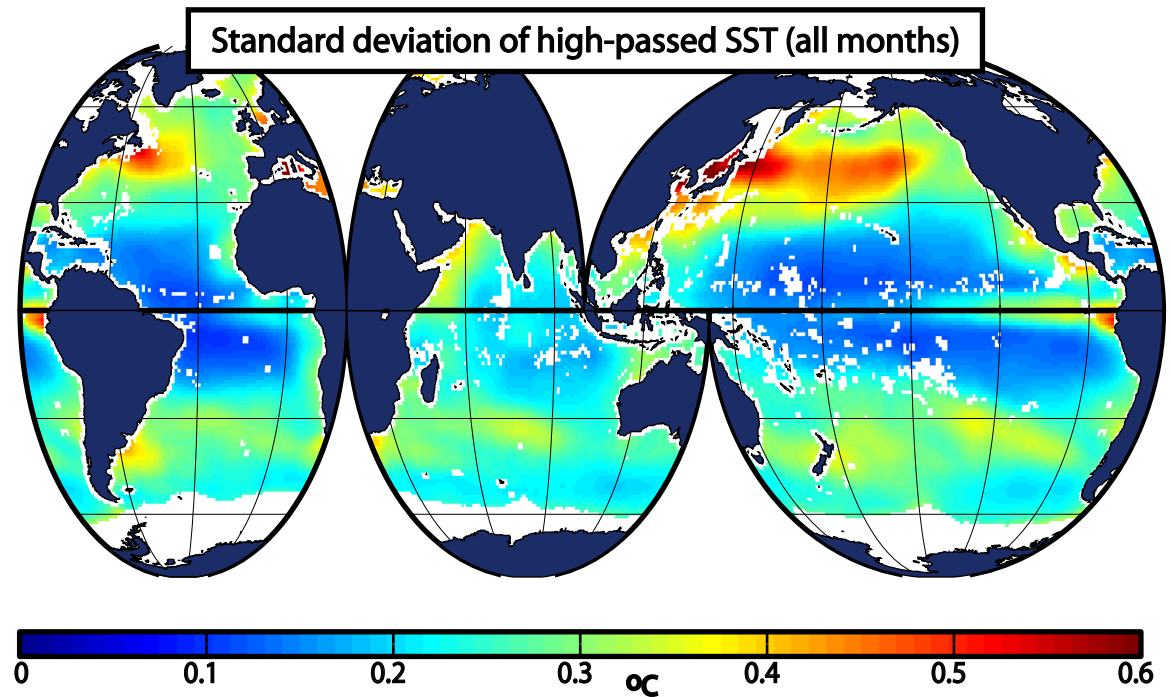
# From Points to Fields: Global SAT

- For Goose Bay SAT:  $\bar{\kappa} = 0.124$  with a  $p$ -value of 17.2%
- Consistent with analysis of global fields of SAT (from NCEP/NCAR)
- Consistent with high latitude analysis by Vecchi and Bond



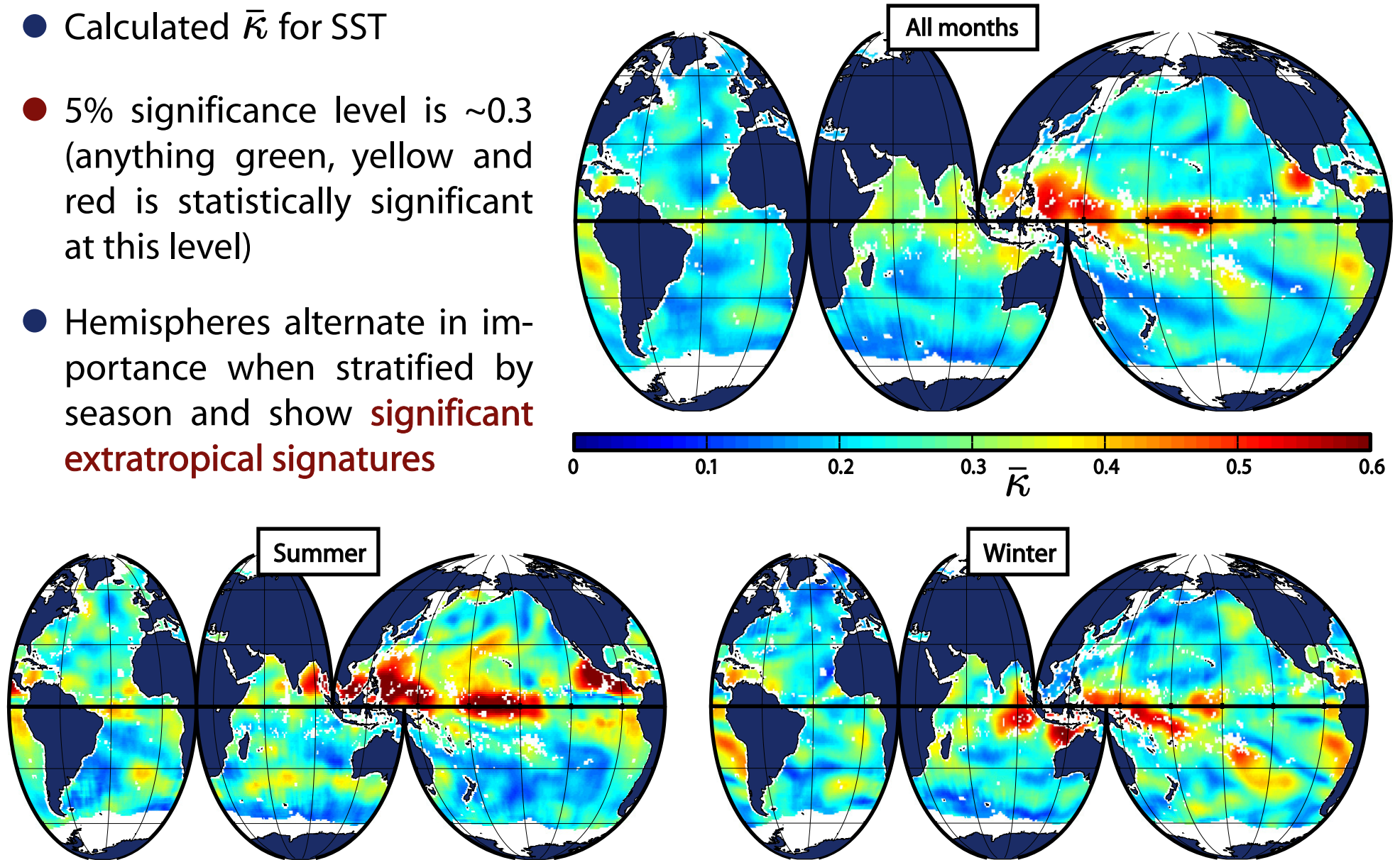
# Global Distribution of SST Variability

- We used satellite-based measurements of **SST** and **SLA** (sea surface temperature and sea level anomaly)
- The data is highpass filtered with a 120-day cutoff. We can stratify the data by season (defined as 181 days centred on July 15 for Summer and January 15 for Winter)



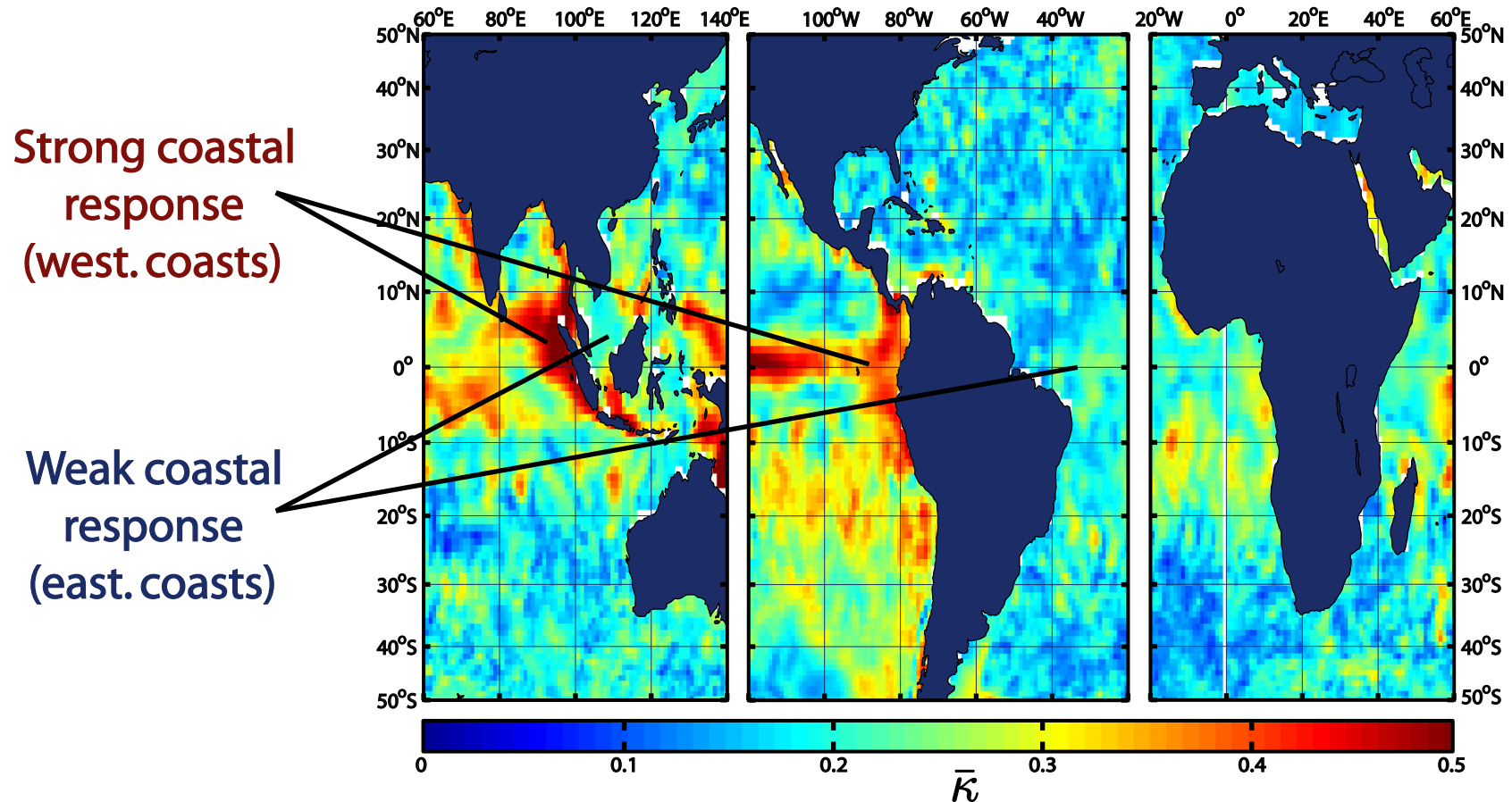
# MJO and Global SST Variability

- Calculated  $\bar{\kappa}$  for SST
- 5% significance level is  $\sim 0.3$  (anything green, yellow and red is statistically significant at this level)
- Hemispheres alternate in importance when stratified by season and show **significant extratropical signatures**



# Sea Level Response to the MJO

- Strong evidence of coastally trapped signals related to MJO
- Eastward propagating MJO excites response in sea level on western coasts of the continents



# Conclusions and Future Work

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- MJO provides a mechanism for enhancing predictability on intraseasonal timescales (weeks to months)
- We have developed tools to assess the relationship between a geophysical time series and the MJO including tests for nonlinearity and measures of statistical significance
- We have found linear seasonally modulated extratropical response to the MJO in extratropical Pacific SST (and possibly extratropical Atlantic SST)
- We have also found a response in coastally trapped sea level which extends into the extratropics
- To physically interpret the results we will move towards incorporating knowledge gained from looking at observations of the MJO and its extratropical expression into global coupled atmosphere-ocean models (*i.e.*, NEMO-GEM)



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