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Regional influences of ocean-atmosphere interaction on climate variability using partial coupling

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Introduction

- Sources of climate variability include
 - intrinsic atmospheric variability
 - atmospheric response to ocean variability
 - coupled ocean/atmosphere interactions
- Attribution difficult in fully coupled simulations
- **Objective:** distinguish regional contributions of air-sea coupling to climate variability and predictability through model runs using *partial coupling* in specified regions
- Preliminary results presented here

Model and partial coupling methodology

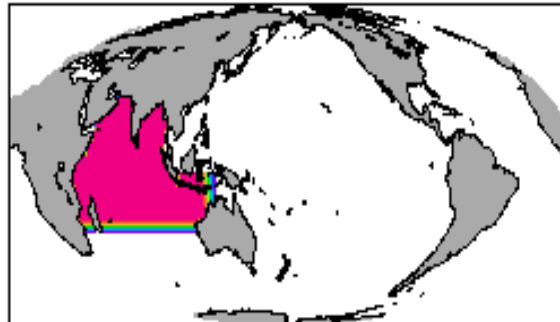
- Coupled climate model: [CCCma CGCM3.7](#)
 - AGCM3, T63L31, filtered physics
 - OGCM 1.4° lon × 0.94° lat × 40 levels ($\Delta z = 10$ m in upper ocean), anisotropic viscosity, KPP mixed layer, penetrative solar radiation
- **Partial Coupling:** atmosphere sees *specified* SSTs instead of interactive SSTs in specific regions
- In these experiments the specified SSTs consist of [model climatological SSTs](#) obtained from a fully coupled control run (\rightarrow SSTA = 0)
- Results presented here are based on 300 years of model output following 70-year spin-up period (runs are ongoing)
- Examine effects on climate variability and potential predictability

Partial Coupling Masks

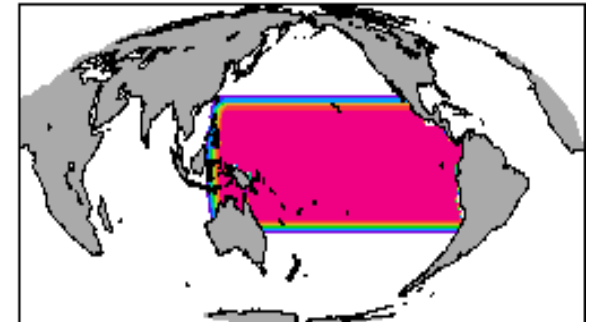
Global Mask (mask_all)



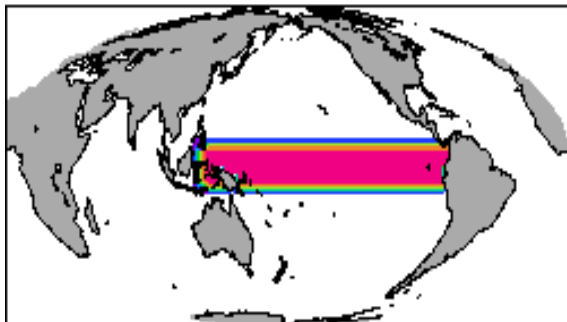
Indian Ocean Mask (mask_ind)



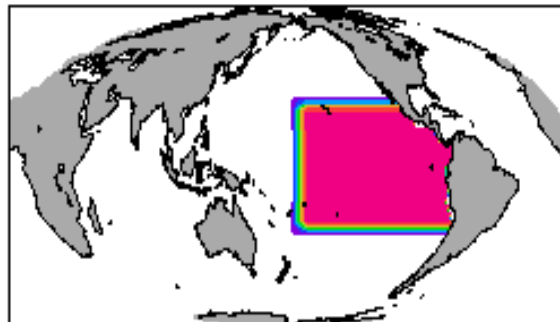
Tropical Pacific Mask (trop_pac)



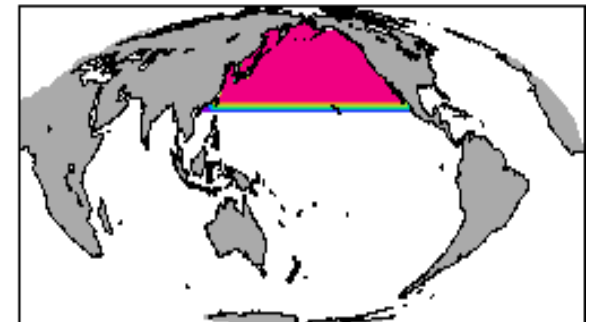
Equatorial Pacific Mask (equat_pac)



East Pacific Mask (east_pac)



North Pacific Mask (nort_pac)



Analysis

- 300 year model simulations for each of the 6 masked runs.
- Monthly mean data is used to evaluate
- Potential predictability of seasonal means
- Results presented for December-January-February (DJF)
- Variables considered:
 - 500hPa height,
 - 850hPa temperature
 - Mean sea level pressure

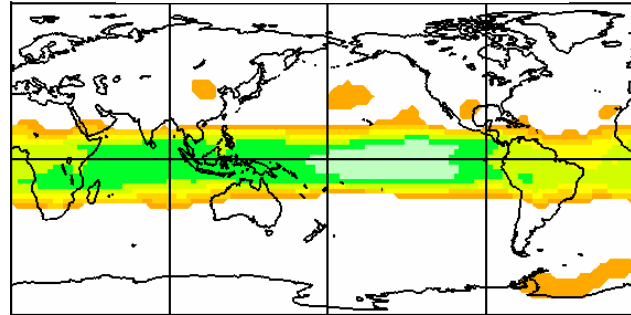
Impact of masking on interannual variability of DJF seasonal means

**500mb
height**

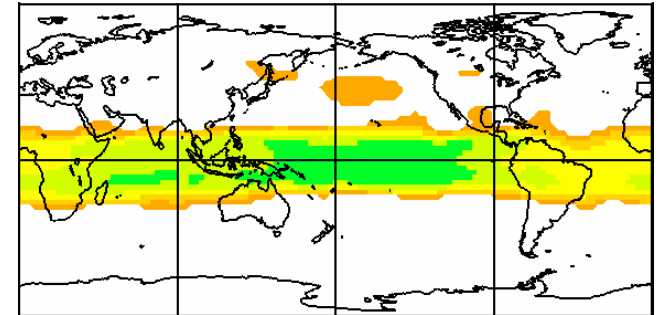
Ratio of
standard
deviations:

$$\frac{\sigma_{\text{masked}}}{\sigma_{\text{control}}}$$

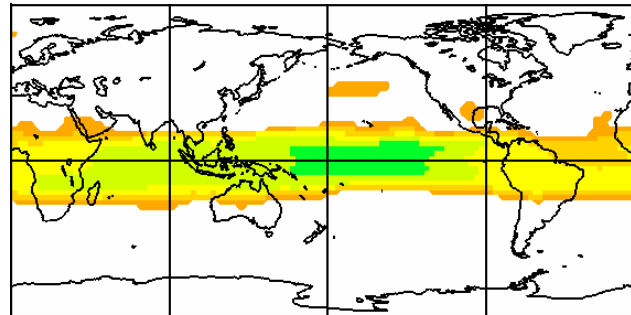
tropical Pacific masked



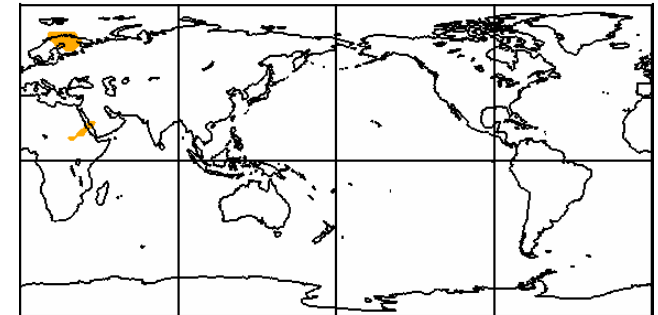
E tropical Pacific masked



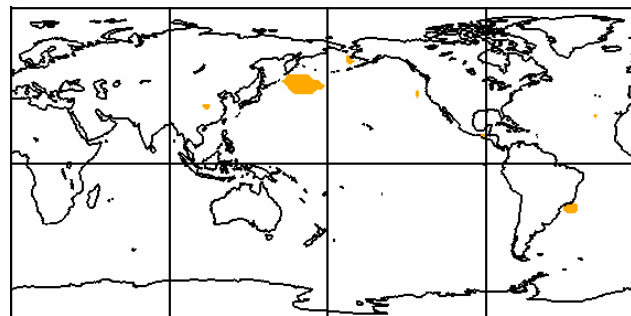
equatorial Pacific masked



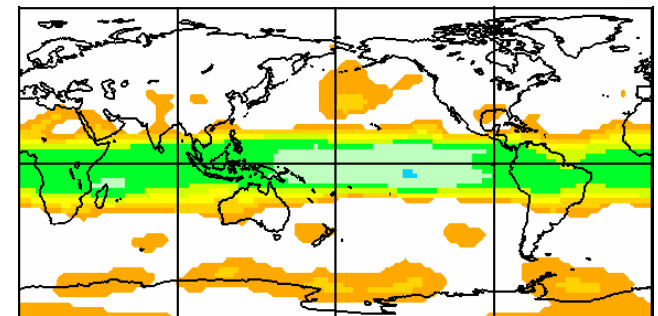
tropical Indian Ocean masked



North Pacific masked



globally masked



plotted where $p < 0.01$



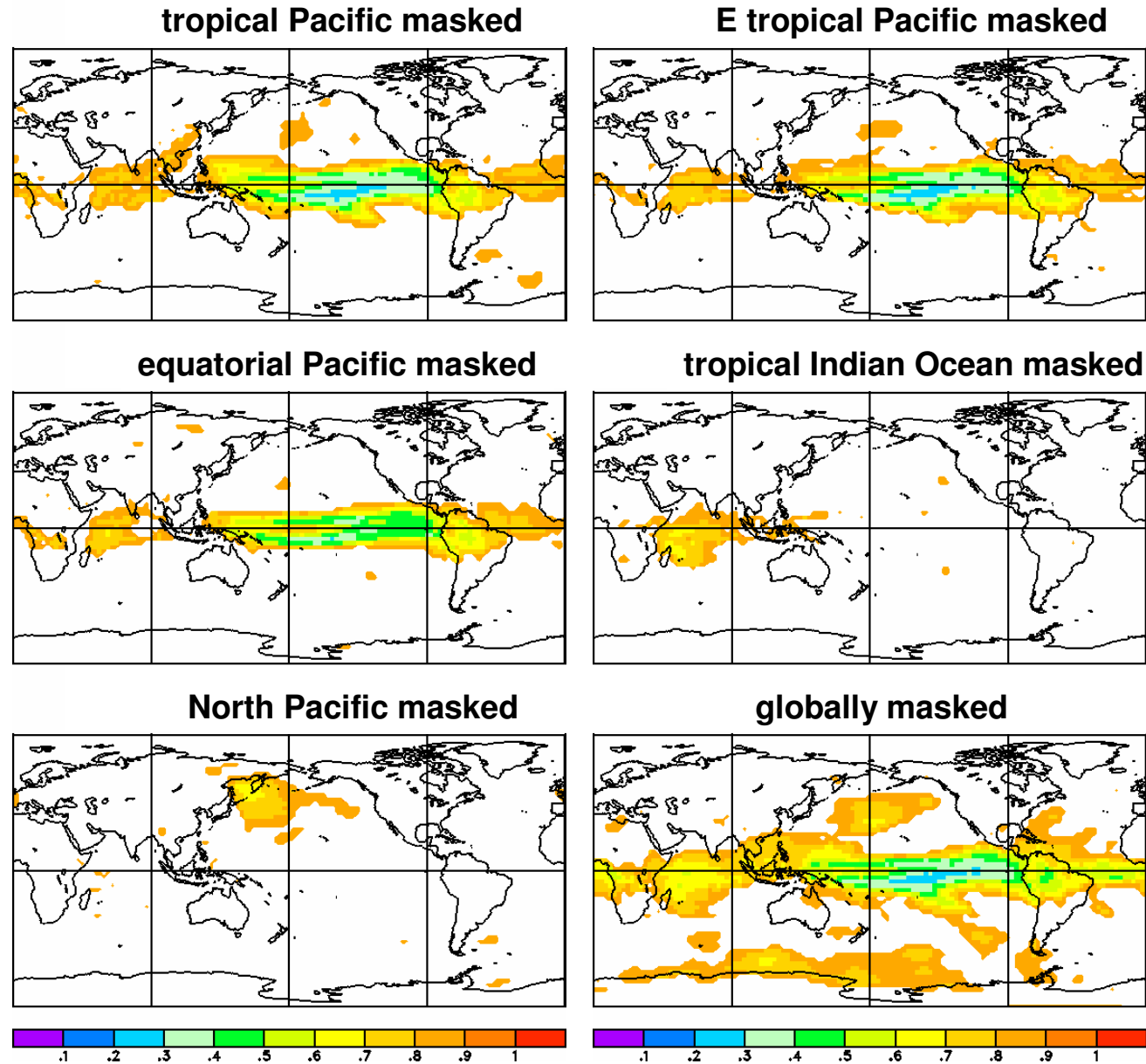
Impact of masking on interannual variability of DJF seasonal means

**850mb
temperature**

Ratio of
standard
deviations:

$$\frac{\sigma_{\text{masked}}}{\sigma_{\text{control}}}$$

plotted where $p < 0.01$



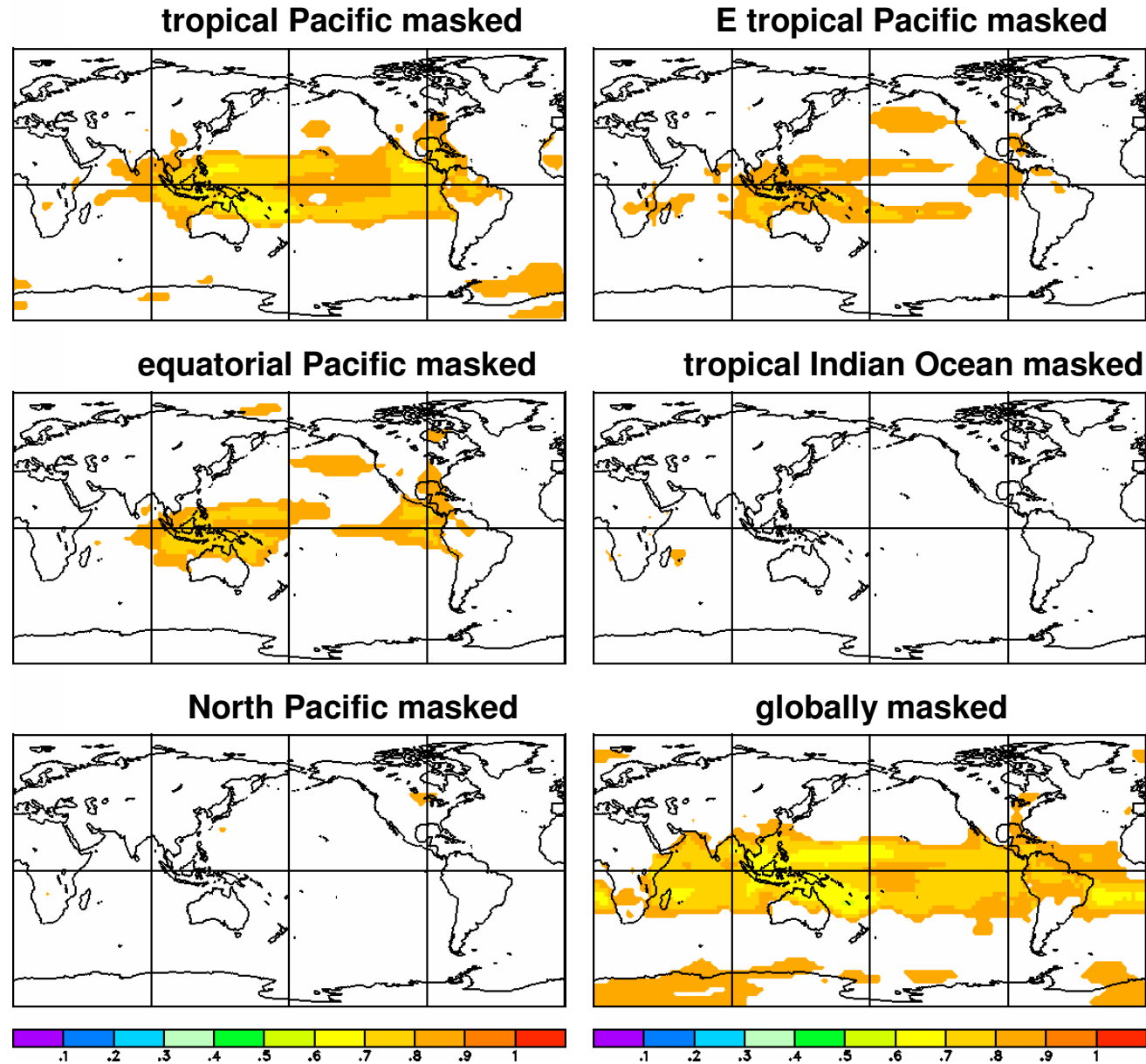
Impact of masking on interannual variability of DJF seasonal means

*mean
sea level
pressure*

Ratio of
standard
deviations:

$$\frac{\sigma_{\text{masked}}}{\sigma_{\text{control}}}$$

plotted where $p < 0.01$



Calculation of Potential Predictability

Statistical model based on 1-way ANOVA (Zwiers 96, Zhengetal 2000)

$$X_{yt} = \mu + \beta_y + \varepsilon_{yt}$$

μ represents long term seasonal mean

β_y 's represents year-to-year variations in the levels of X that are potentially predictable

ε_{yt} 's represent within season variations that are presumably not predictable on seasonal and longer time scales.

The total interannual variance of the seasonal mean of X_{yt} is

$$\sigma^2_{X_{yo}} = \frac{1}{(Y-1)} \sum_{y=1}^Y (X_{yo} - X_{oo})^2$$

X_{yo} denotes the year y seasonal mean and X_{oo} mean of seasonal means

$$\sigma^2_{X_{yo}} = \frac{1}{(Y-1)} \sum_{y=1}^Y (\beta_y + \varepsilon_{yo} - (\beta_o + \varepsilon_{oo}))^2$$

$$\sigma^2_{X_{yo}} = \sigma^2_{\beta} + \sigma^2_{\varepsilon_{yo}}$$

Total interannual variance of seasonal mean in the model contains Climate signal and weather noise components.

Whether the observed process is potentially predictable is determined by testing the null hypothesis that the seasonal means of X vary only because of weather noise.

$$H_o : \sigma^2_{\beta} = 0$$



We require an unbiased estimate of variance of the weather Noise that is statistically independent of the total variance. When only monthly means are available, an unbiased estimate of weather noise can be estimated by

$$\sigma^2_{\varepsilon_{yo}} = SSE \frac{(3 + 4\rho_1 + 2\rho_2)}{6Y(3 - 2\rho_1 - \rho_2)}$$

where $SSE = \sum_y \sum_{t=1}^3 (X_{yt} - X_{yo})^2$ and ρ_1, ρ_2 are lag-1 month and lag-2 month auto-correlations.

$$F = \frac{\sigma^2_{X_{yo}}}{\sigma^2_{\varepsilon_{yo}}}$$

measure of potential predictability

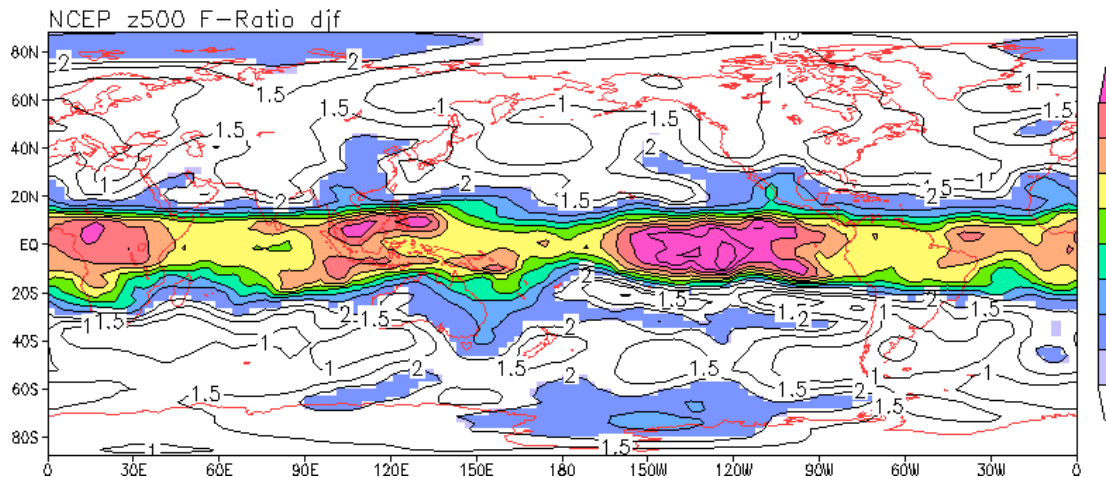
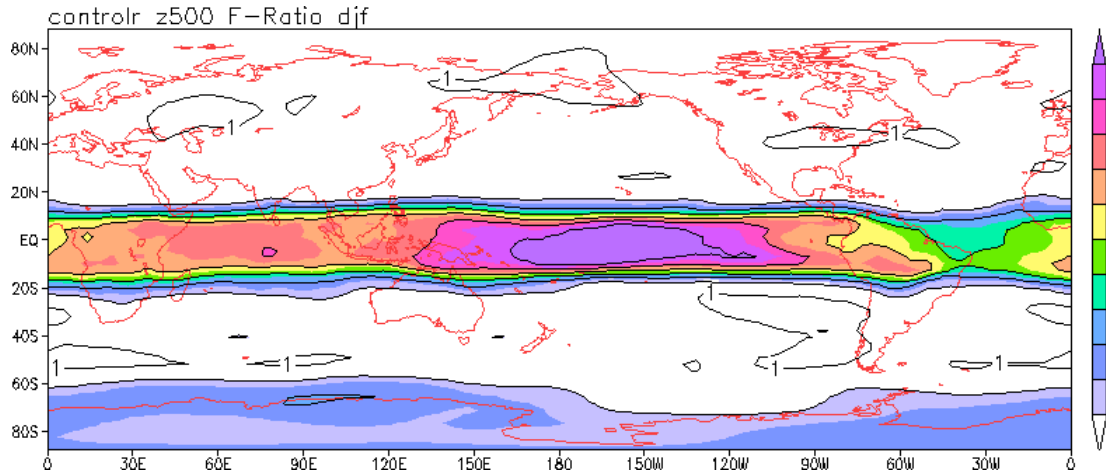
→ *F-1 measures potentially predictable signal (variance exceeds noise)*

Comparison of potential predictability of DJF seasonal means Model vs Observations

**500mb
height**

300-year control
simulations

Monthly means used



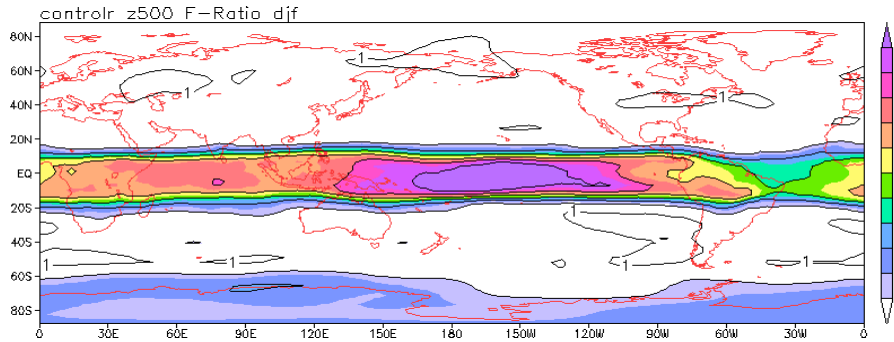
28-years, 1979-2007

Monthly means used

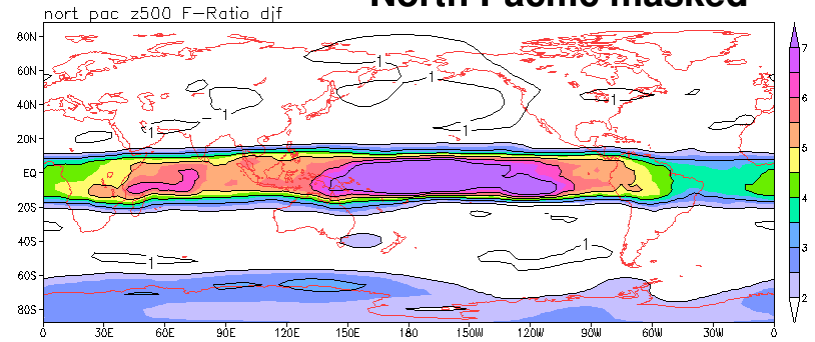
Impact of masking on potential predictability of DJF seasonal means

**500mb
height**

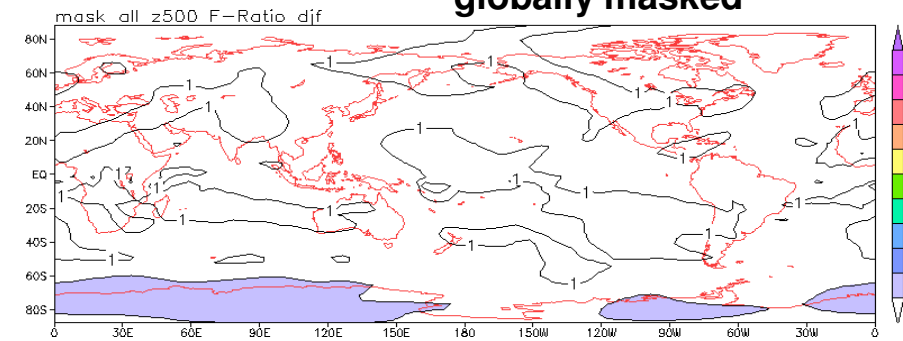
Control run



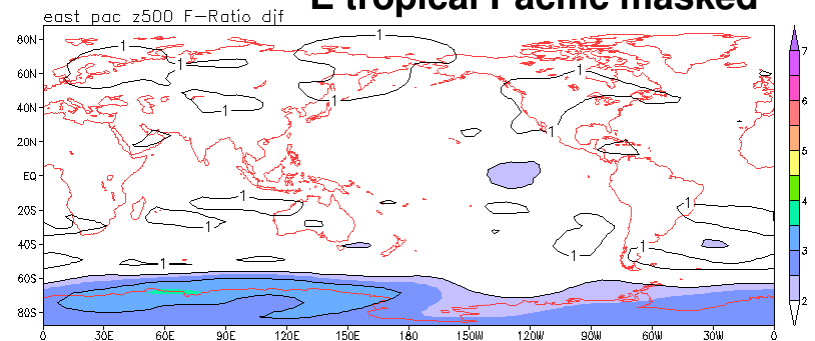
North Pacific masked



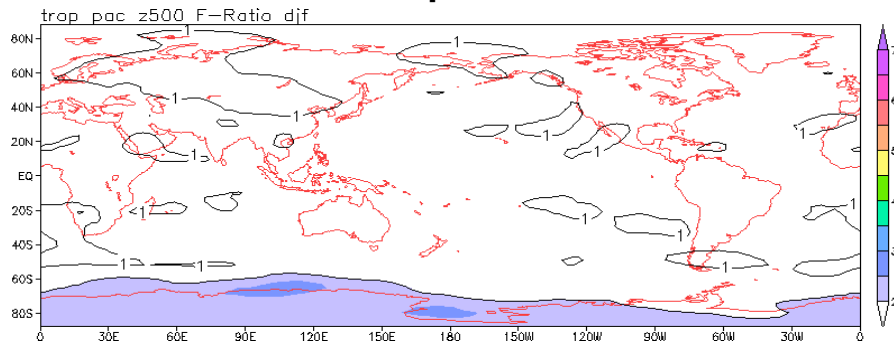
globally masked



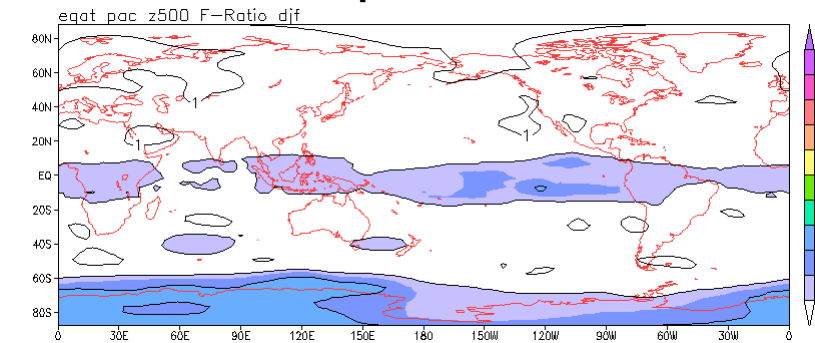
E tropical Pacific masked



tropical Pacific masked

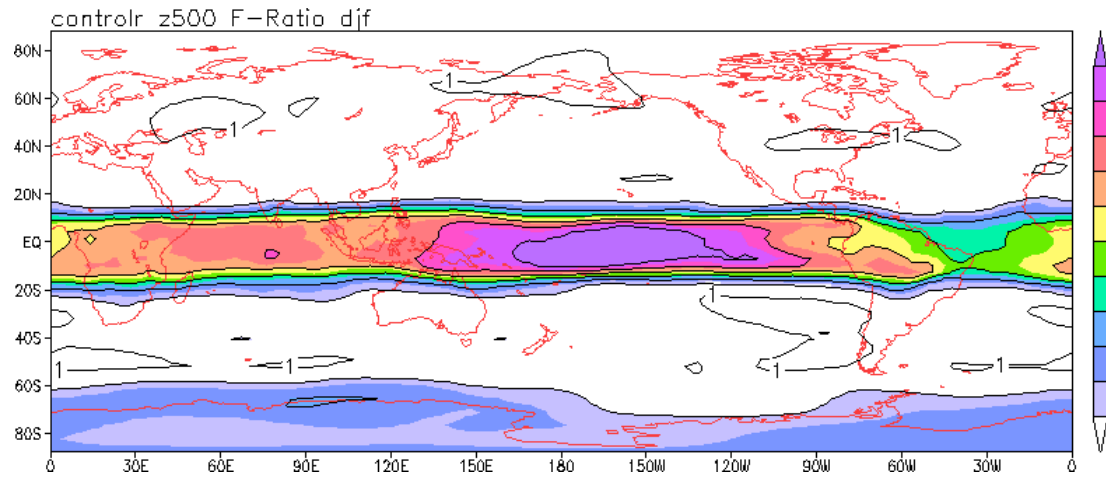


equatorial Pacific masked

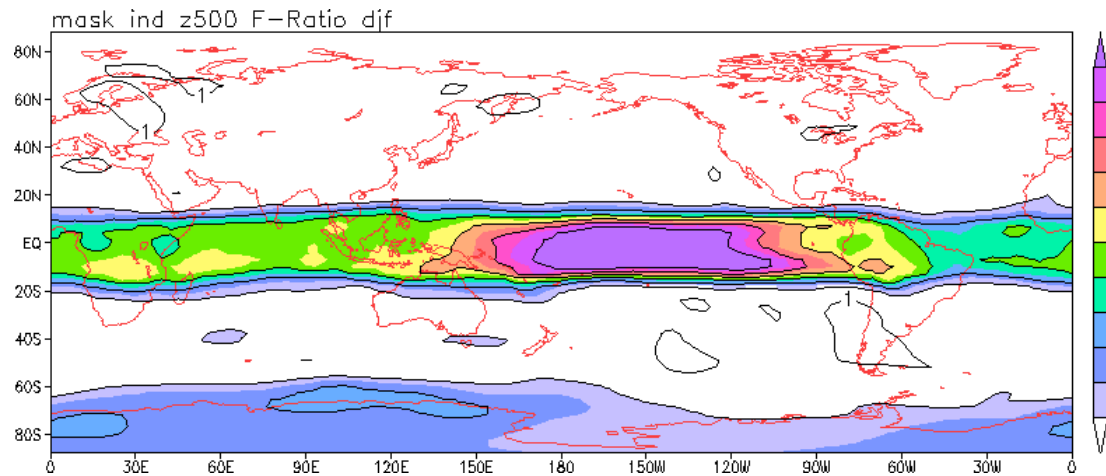


Impact of masking on potential predictability of DJF seasonal means

**500mb
height**



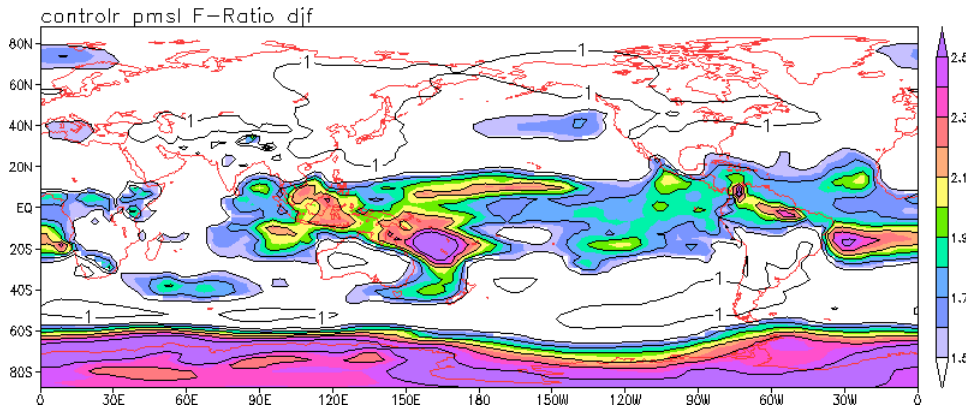
→ Model Control run



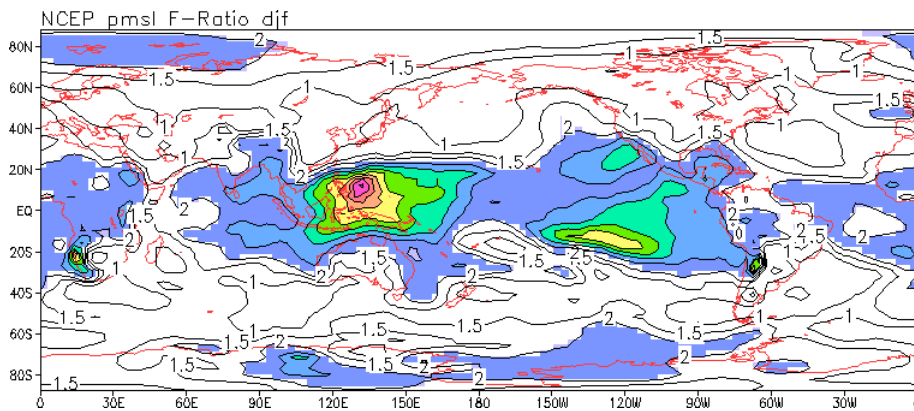
→ Masked IO run

Comparison of potential predictability of DJF seasonal means Model vs Observations

*mean sea
level pressure*

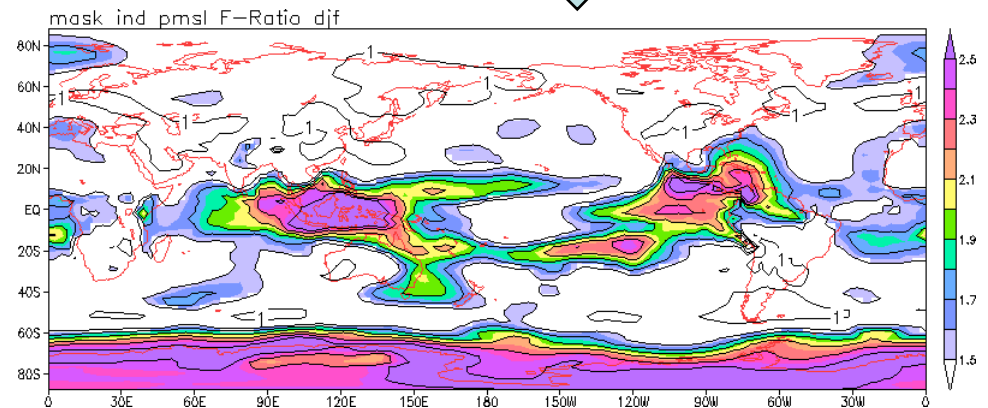


→ Model Control run



→ NCEP Reanalysis

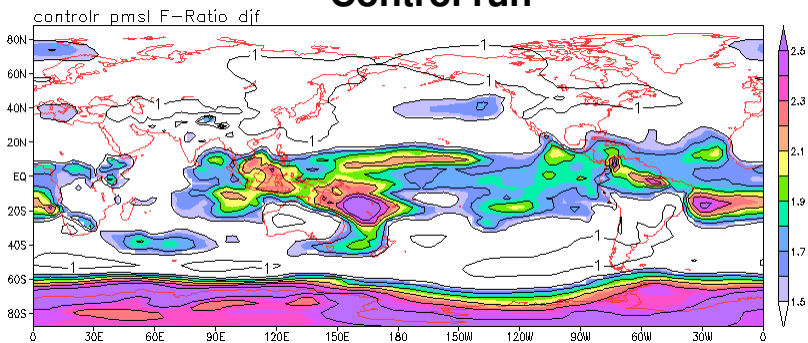
Masked Indian Ocean Run



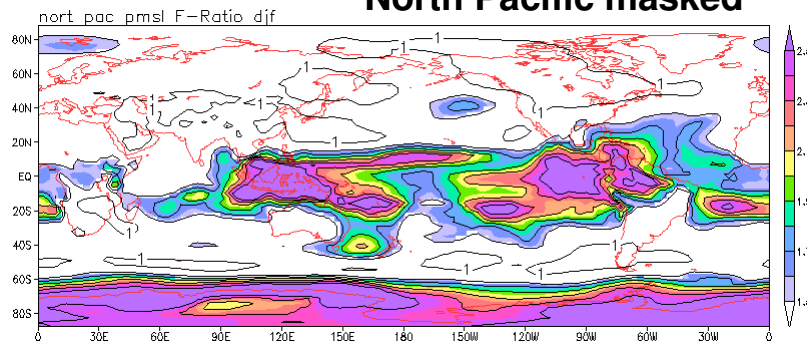
Impact of masking on potential predictability of DJF seasonal means

mean sea level pressure

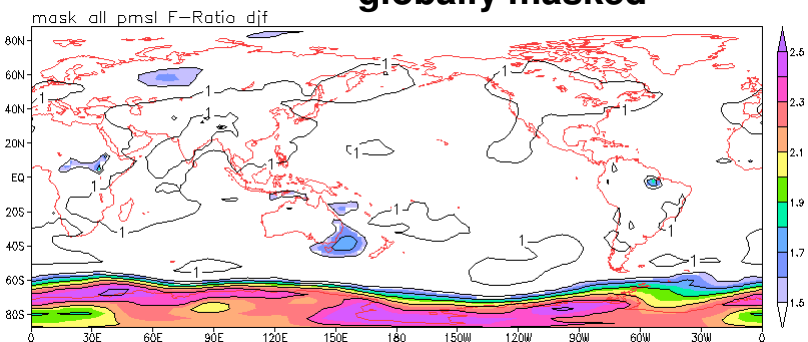
Control run



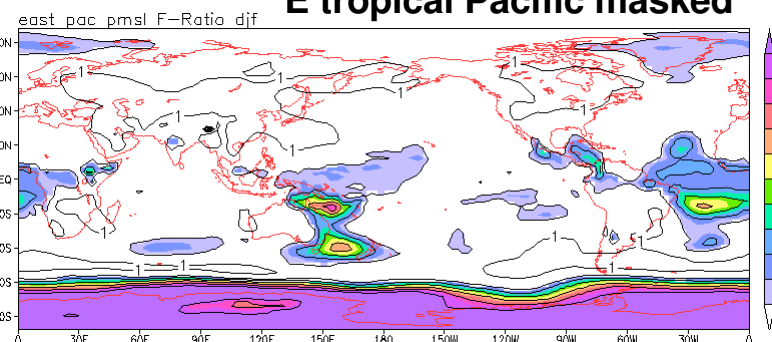
North Pacific masked



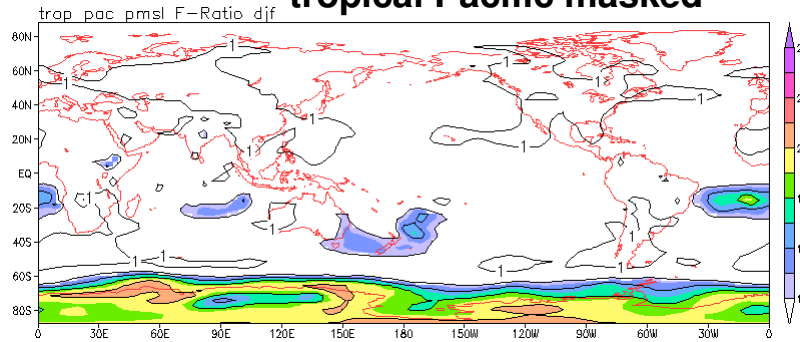
globally masked



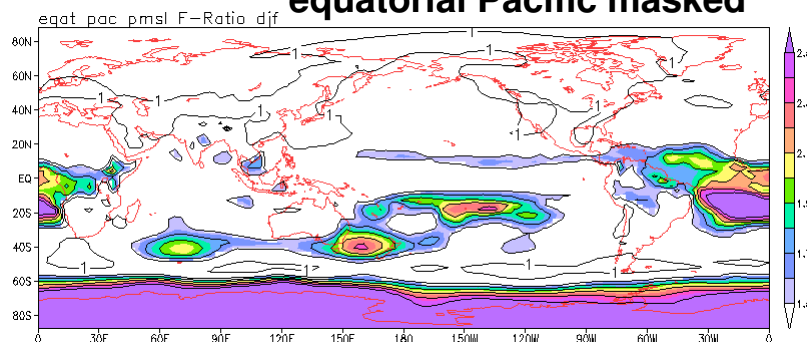
E tropical Pacific masked



tropical Pacific masked



equatorial Pacific masked



Summary

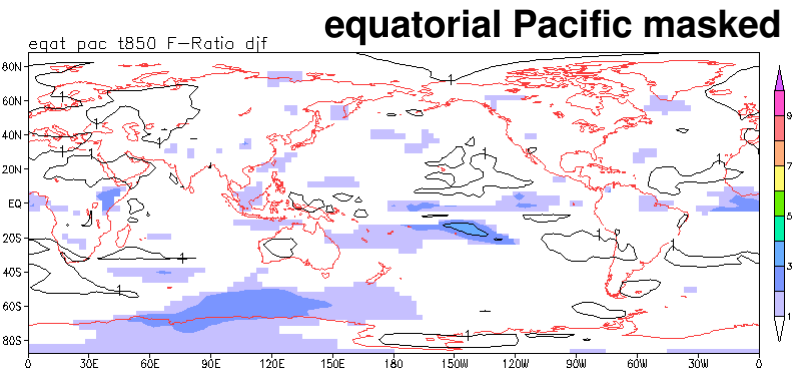
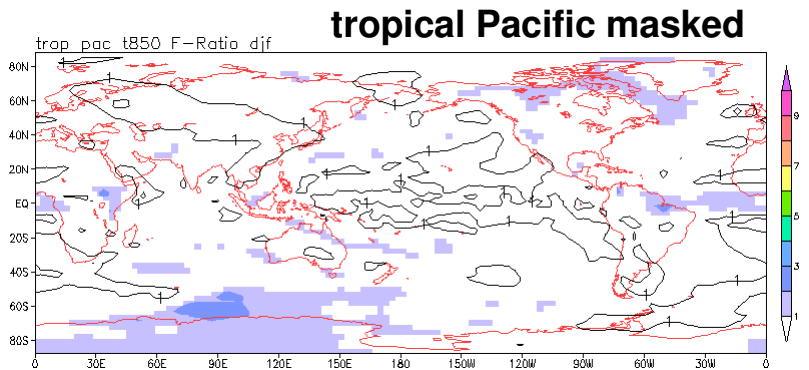
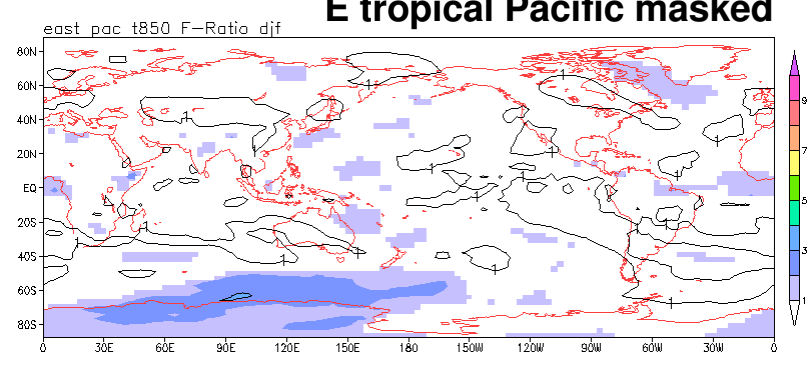
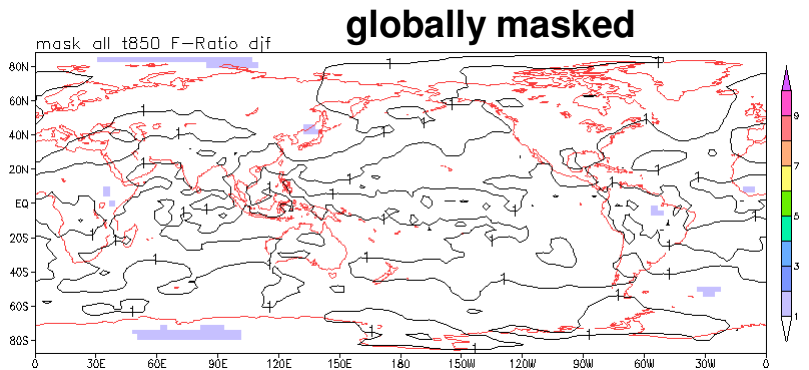
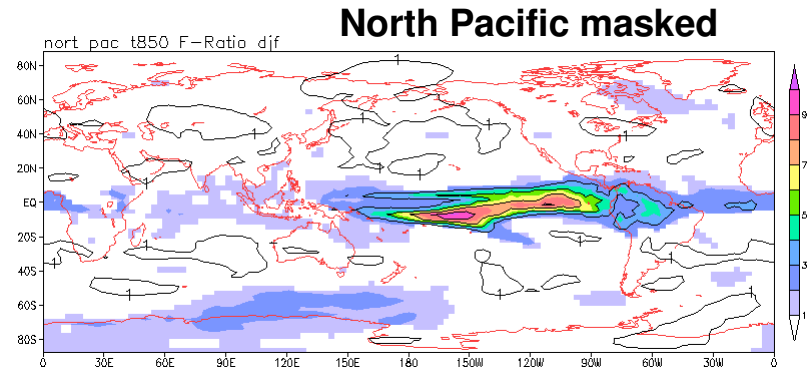
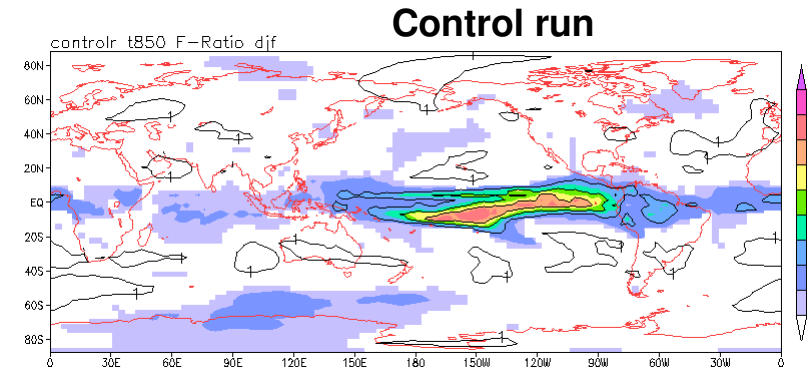
- Partial coupling procedure enables effects of local and remote air-sea interactions to be distinguished from intrinsic atmospheric variability
- Initial results presented here
- ENSO SSTA are responsible for much (but not all) of climate variability (wrt to z500, t850 and mslp) both locally (in tropical Pacific) and remotely.
- Ongoing work includes
 - longer time series
 - other seasons
 - more detailed analysis on climate variability wrt to larger modes of climate variability like ENSO, IOD etc
 - comparison with CGCM3.8 which has a stronger ENSO

Assumptions

- We assume that the random variables $\{\hat{a}_y, y=1, \dots, Y\}$ to be independently distributed random variables with mean zero and variance $\sigma^2_{\hat{a}}$.
- Weather noise time series $\{\hat{a}_{yt}, t=1, \dots, T\}$ are assumed to be independent realizations of the same Gaussian stochastic process.
- The weather noise process is assumed to be independent of the potential predictable process $\{\hat{a}_y, y=1, \dots, Y\}$
- Each weather noise time series $\{\hat{a}_{yt}, t=1, \dots, T\}$ is assumed to behave as red noise.
- Clearly there are limitations to the utility of this model.
- Nonetheless departures from this assumptions would appear mild enough that the model remains as a useful device for partitioning variance into potentially predictable and non-predictable components.

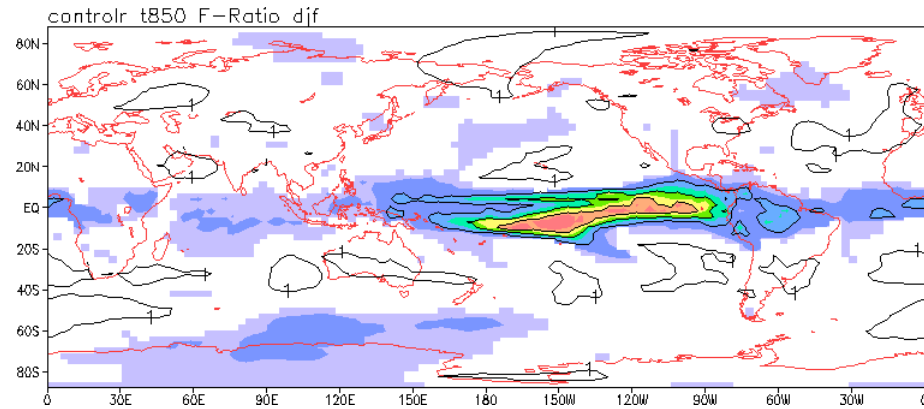
Impact of masking on potential predictability of DJF seasonal means

**850mb
temperature**

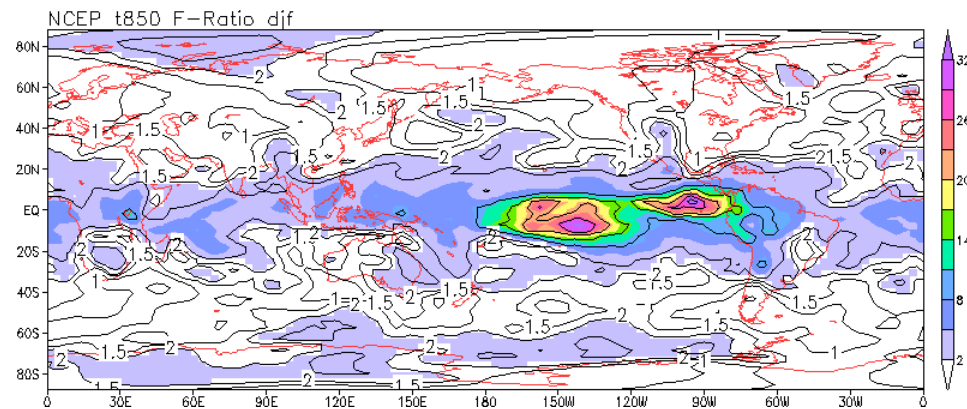


Comparison of potential predictability of DJF seasonal means Model vs Observations

**850mb
temperature**

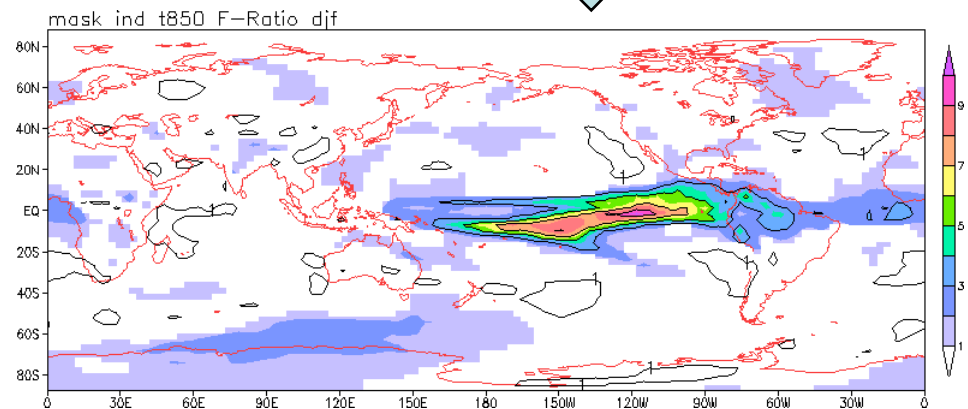


→ Model Control run



→ NCEP Reanalysis

Masked Indian Ocean Run



Example: Effect of SSTA on standard deviation of monthly surface temperature anomalies

