Nonlinear post-processing of seasonal climate forecasts

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Introduction

- **Goal:** Develop a robust method of correcting systematic biases in GCM (CHFP) forecasts
- **Approach:** Regression-based post-processing
 - Link model output to true climate outcomes
- Several regression methods tested
 - 1. Linear regression
 - 2. Support Vector Regression (SVR)
 - Machine learning approach
 - Capable of identifying nonlinear relationships
 - Use both linear & nonlinear flavours

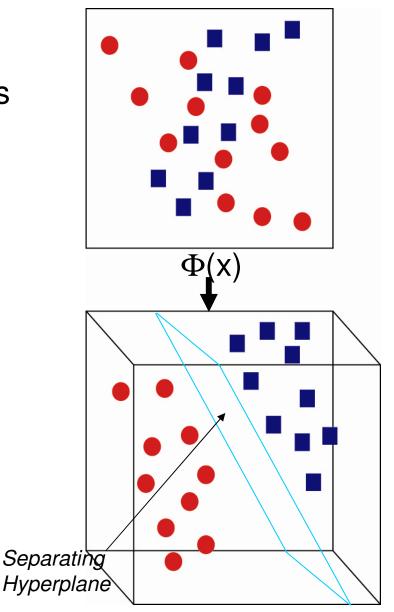
Support Vector Machines

- Linearizes nonlinear relationships through feature space mapping (Φ(x))
- 'Kernel Trick': rewrite problem so we use only *inner products* of mapped points:

$$K(x',x) = \Phi^{T}(x')\Phi(x)$$

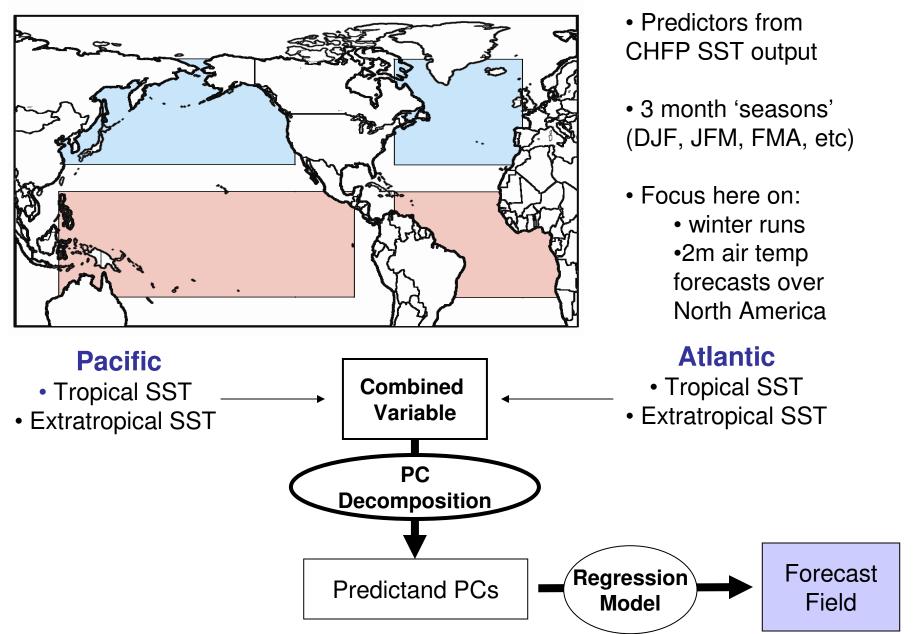
- A properly chosen kernel is solvable without performing the mapping Φ(x)
- Feature space then have infinite Separating dimension
 Hyperplane

Original 2D points

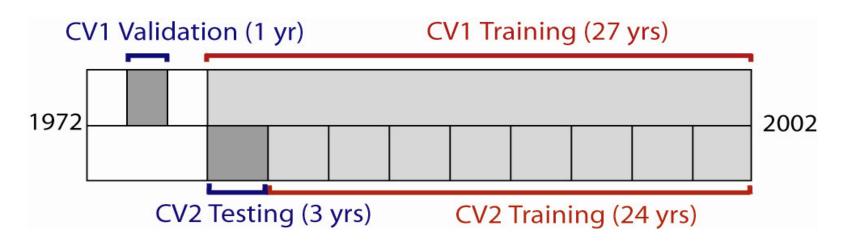


Higher dimensional feature space

Variables & Domains

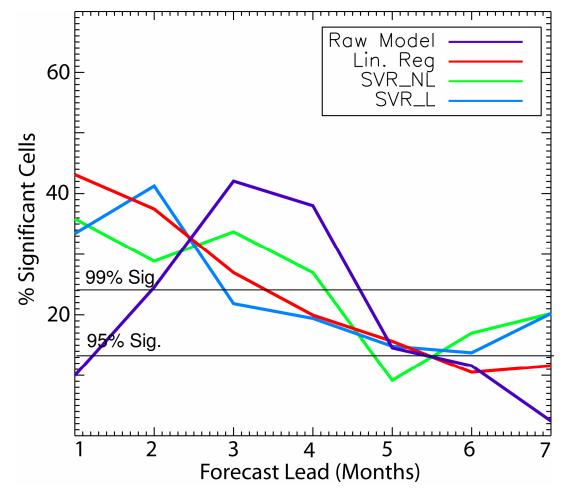


Method



- Methods tested using double cross-validation
 - CV1: Moving 3 year window, forecast center year
 - Removes skill due to autocorrelation
 - CV2: 9-fold x-validation on CV1 training data to select regression parameters
 - No information about forecast year used in parameter selection

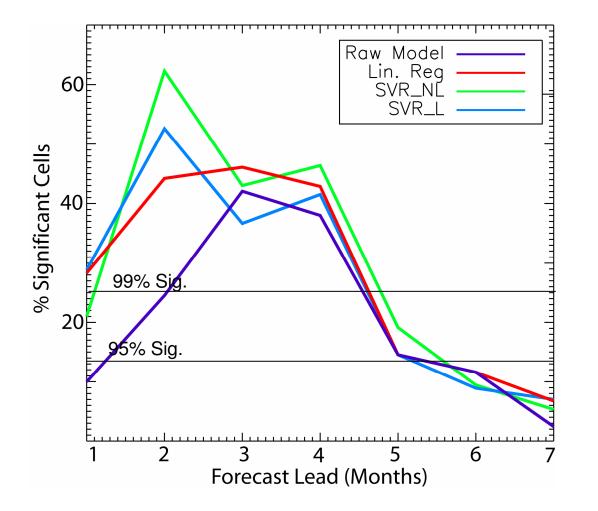
Direct Prediction: 2m Air Temp, North America



 Replace CHFP PCs with regression model output (first 5 only)

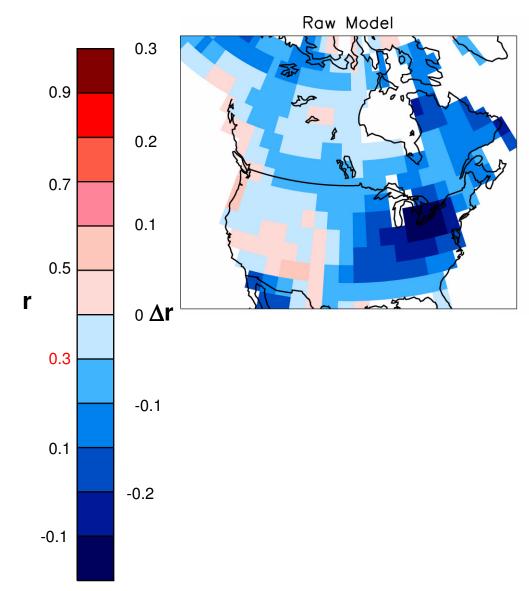
 Post-processing beats model at short and very long leads only

Alternate Approach: Predict Forecast Error

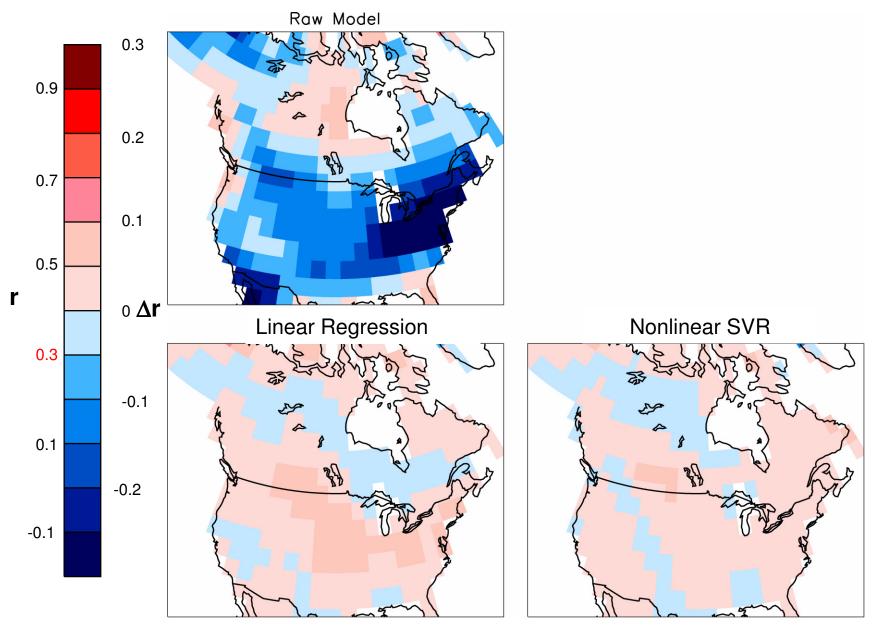


- Regression model predicts error in SAT PCs (model – observed)
- If prediction shows skill (r > 0.35), predicted error is subtracted from CHFP forecast
- Correct only first 5 PCs
- Improvement is more consistent

Grid Cell Correlations: 2 month Lead



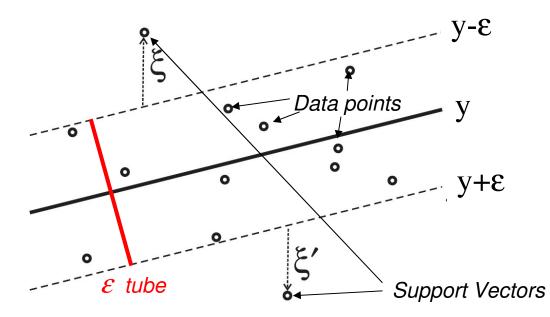
Grid Cell Correlations: 4 month Lead



Summary

- Regression-based post-processing can improve GCM forecasts at lead times of 1-4 months
- Predicting error gives the most consistent results
- Nonlinear SVR shows some promise relative to linear regression ...
 - ...although results vary between lead times
 - Too few points to identify nonlinear relationships?
 - Adding noise from individual ensemble members may improve skill

Support Vector Regression (SVR)



- Only certain training points define y = f(x)
 - Located a distance $>= \varepsilon$ away from y
 - Referred to as *support vectors*
- 2 or more user selected hyperparameters
 - a) ϵ -insensitive distance (which points to keep)
 - b) Inverse Cost Parameter, *C* (penalizes complexity)
 - c) Kernel shape parameters (e.g. σ for Gaussian kernel)